

## CHAPTER 1 ELECTRICITY

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**Solution 1:**

Volt

**Solution 2:**

(b) a volt is a joule per coulomb.

**Solution 3:**

(a) p.d. stands for potential difference.  
(b) Voltmeter is used to measure p.d.

**Solution 4:**

Electric potential at a point is 1 volt means 1 joule of work is done in moving 1 unit positive charge from infinity to that point.

**Solution 5:**

Potential difference = 1 V

Charge moved = 1C

Work done = Potential difference x Charge moved  
= 1 x 1 = 1 J

**Solution 6:**

Volt

**Solution 7:**

Given,

Potential difference = 12 V, Charge moved = 2 C

We know that,

Work done = p.d. x charge moved

= 12 x 2

= 24 joules.

**Solution 8:**

Coulomb

**Solution 9:**

One coulomb of charge is that quantity of charge which exerts a force of  $9 \times 10^9$  Newton on an equal charge is placed at a distance of 1 m from it.

**Solution 10:**

- (a) volts; voltmeter; parallel
- (b) conductor; insulator

**Solution 11:**

Conductors:- Those substances through which electricity can flow are known as conductors. E.g., Copper, silver etc.

Insulators:- Those substances through which electricity cannot flow are known as insulators. E.g., Plastic, cotton etc.

**Solution 12:**

Conductor:- Silver, Copper, Aluminum, Nichrome, Graphite, Mercury, Manganin

Insulators:- Sulphur, Cotton, Air, Paper, Porcelain, Mica, Bakelite, Polythene

**Solution 13:**

The electric potential (or potential) at a point in an electric field is defined as the work done in moving a unit positive charge from infinity to that point.

Unit of electric potential is volt.

**Solution 14:**

(a) Potential difference = Work done/Charge moved.

(b)  $V_1=220\text{ V}$ ,  $V_2=230\text{V}$ , Charge moved= $4\text{C}$

Thus, the potential difference=  $V_2- V_1 =230-220$   
 $=10$ .

We know that,

Work done = Potential difference x Charge moved

$= 10 \times 4$

Work done = 40 joules

**Solution 15:**

(a) Voltmeter

(b) Given : Potential difference= $12\text{V}$ , Charge moved= $1\text{C}$

We know that,

Work done = Potential difference x charge moved

$= 12 \times 1 = 12\text{ joules}$

Since work done on each coulomb of charge is 12 joules, the energy given to each coulomb of charge is also 12 joules.

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**Solution 16:**

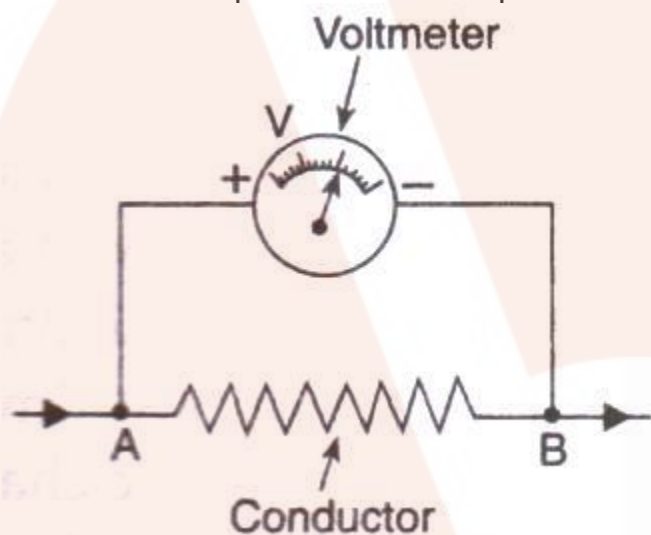
(a) Potential difference between two points in an electric circuit is defined as the

amount of work done in moving a unit charge from one point to the other point.

(b) The potential difference between two points is 1 volt means 1 joule of work is done in moving 1 coulomb of electric charge from one point to the other.

(c) Given: Work done = 250J, Charge moved = 20C.  
we know that, Potential difference = Work done/Charge moved  
 $= 250/20 = 12.5$

(d) A voltmeter is a device which is used to measure the potential difference between two points in an electric circuit. Voltmeter is always connected in parallel across the two points where the potential difference is to be measured.



(e) Voltmeter has a high resistance so that it takes a negligible current from the circuit.

### Solution 22:

(a) If three cells of 2 volt each are connected in series to make a battery, then the total potential difference between terminals of the battery will be 6V.

(b) (i) Given: p.d. = 2V, Charge moved = 1C

We know that

Work done = p.d. x charge moved

$= 2 \times 1$

Work done = 2 joules

(ii) Given: p.d. = 6V, Charge moved = 1C

Work done = p.d. x charge moved

$$= 6 \times 1$$

Work done = 6 joule.

**Solution 23:**

Copper has free electrons that are loosely held by the nuclei of the atoms. These free electrons result in conduction of electricity.

The electrons present in rubber are strongly held by the nuclei of its atoms. So, rubber does not have free electrons to conduct electricity.

**Page No:11**

**Solution 1:**

Ampere

**Solution 2:**

Electric Current.

**Solution 3:**

Electrons.

**Solution 4:**

Electrons.

**Solution 5:**

(a) Conventional current flows from positive terminal of a battery to the negative terminal, through the outer circuit.

(b) Electrons flow from negative terminal to positive terminal of the battery (opposite to the direction of conventional current).

**Solution 6:**

$$1A = 1C/s$$

**Solution 7:**

Ampere.

**Solution 8:**

(a) 1 amp =  $10^3$  milli amp.

(b) 1 amp =  $10^6$  micro amp.

**Question 9:**

Which of the two is connected in series : ammeter or voltmeter ?

**Solution 9:**

Ammeter is connected in series.

**Solution 10:**

Ammeter is connected in series in a circuit whereas voltmeter is connected in parallel.

**Solution 11:**

- (i) Variable resistance.
- (ii) A closed plug key.

**Solution 12:**

Given,  $Q = 20 \text{ C}$ ,  $t=1\text{s}$

$I=?$

We know that:

$$I=Q/t.$$

$$I=20/1=20\text{A}.$$

**Solution 13:**

Given,  $I=4\text{amp}$ ,  $C$ ,  $t=10\text{s}$   $Q=?$

We know that:

$$I=Q/t.$$

$$Q=4*10=40\text{C}.$$

**Solution 14:**

Given,  $Q = 20 \text{ C}$ ,  $t=1\text{s}$

$I=?$

We know that:

$$I=Q/t.$$

$$\text{Thus } I=20/40=0.5\text{A}.$$

**Solution 15:**

(a) electrons; closed

(b) amperes; ammeter; series.

**Solution 16:**

(a) Cell or battery helps to maintain potential difference across a conductor.

(b) Given: p.d. =  $10 \text{ V}$ ,  $I = 2\text{amp}$ ,  $t = 1 \text{ min} = 60\text{s}$ .

We know that:

$$I=Q/t.$$

$$\text{Thus, } Q=Ixt.$$

$$Q=2 \times 60.$$

$$Q=120 \text{ C.}$$

$$\text{Work done} = \text{p.d.} \times \text{charge moved}$$

$$\text{Work done} = 120 \times 10 \text{ J}$$

$$\text{Work done} = 1200 \text{ J.}$$

**Solution 17:**

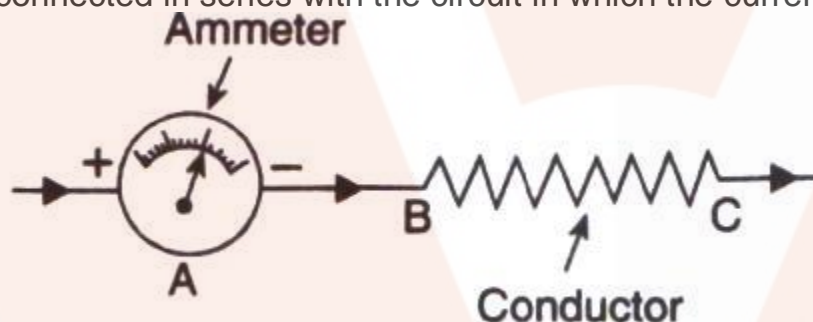
(a) An electric current is a flow of electric charges (electrons) through a conductor.

Potential difference between the ends of the wire makes electric current to flow in the wire.

(b) When 1 coulomb of charge flows through any cross-section of a conductor in 1 second, the electric current flowing through it is said to be 1 ampere.

**Solution 18:**

Ammeter is a device used for the measurement of electric current. It is always connected in series with the circuit in which the current is to be measured.



**Solution 19:**

(a). Work done = Potential difference x charge moved.

(b).  $I=0.36\text{A}$ ,  $t=15\text{min}=900\text{seconds}$ .

$$Q=Ixt$$

$$=0.36 \times 900$$

$$=324 \text{ C.}$$

**Solution 20:**

(a) The resistance of an ammeter should be very small so that it may not change the value of the current flowing in the circuit.

(b) The resistance of a voltmeter should be very large so that it takes a negligible current from the current.

**Solution 21:**

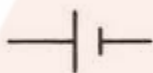
(a) Fixed resistance



(b) Variable resistance



(c) Cell



(d) Battery of three cells



(e) Open switch

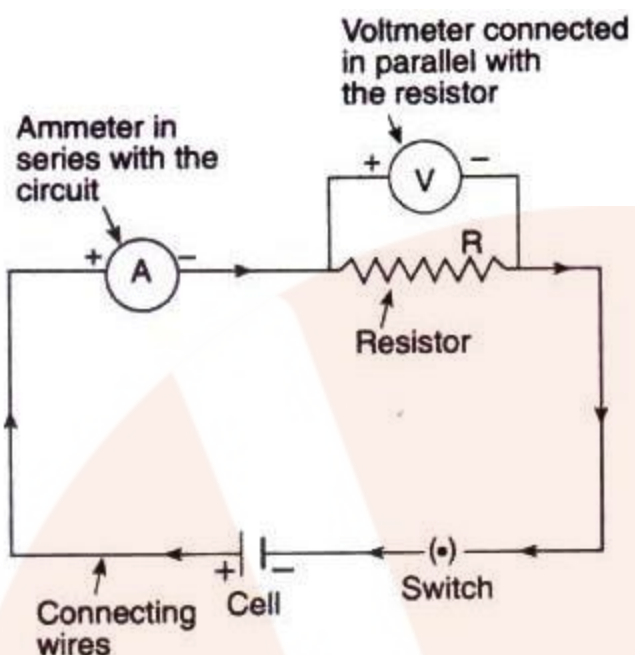


(f) Closed switch



**Solution 22:**

A diagram which indicates how different components in a circuit have been connected by using the electrical symbols for the components is called a circuit diagram.



A voltmeter has a large resistance.

**Solution :**

We know that

$$I = \frac{Q}{t}$$

$$\Rightarrow 1 \text{ A} = \frac{Q}{1 \text{ s}}$$

$$\Rightarrow Q = 1 \text{ C}$$

Now,

When charge is  $1.6 \times 10^{-19}$  coulombs, number of electrons = 1

When charge is 1 coulomb, number of electrons =

$$\frac{1}{1.6 \times 10^{-19}} = 0.625 \times 10^{19} = 6.25 \times 10^{18}$$



**Solution 24:**

$$p.d. = 12V$$

$$(a) p.d. = \frac{\text{Work done}}{\text{Charge moved}}$$

$$\begin{aligned} \text{Work done} &= p.d. \times \text{Charge moved} \\ &= 12 \times 1 = 12J \end{aligned}$$

Amount of electrical energy changed into heat and light=12J

$$(b) \text{Work done} = p.d. \times \text{Charge moved} \\ = 12 \times 5 = 60J$$

Amount of electrical energy changed into heat and light=60J

$$(c) I = \frac{Q}{t}$$

$$\begin{aligned} Q &= I \times t \\ &= 2 \times 10 = 20C \end{aligned}$$

$$\begin{aligned} \text{Work done} &= p.d. \times \text{Charge moved} \\ &= 12 \times 20 = 240J \end{aligned}$$

Amount of electrical energy changed into heat and light=240J

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**Solution 25:**

$$t = 10s, Q=25C, \text{Energy delivered} = \text{Work done} = 200J$$

$$(a) p.d. = \frac{\text{Work done}}{\text{Charge moved}} = \frac{200}{25} = 8V$$

$$(b) I = \frac{Q}{t} = \frac{25}{10} = 2.5A$$

**Solution 26:**

(a) Electric current is the flow of electric charges (electrons) in a conductor such as a metal wire.

SI unit of electric current is ampere.

(b) 1 ampere.

(c) An ammeter is used to measure electric current. It should be connected in series with the circuit.

(d) Conventional direction of flow of electric current is from positive terminal of a battery to the negative terminal, through the outer circuit. The direction of flow of electrons is opposite to the direction of conventional current, i.e. from negative terminal to positive terminal.

(e)  $Q=10\text{ C}$ ,  $t=0.01\text{ s}$

$$I = \frac{Q}{t} = \frac{10}{0.01} = 1000\text{ A}$$

$$\text{p.d.} = \frac{W}{Q}$$

$$W = \text{p.d.} \times Q$$

$$= 10 \times 10^6 \times 10 = 100 \times 10^6 = 100\text{ MJ}$$

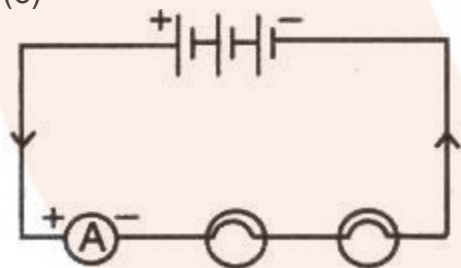
Energy = work done = 100 MJ

**Solution 32:**

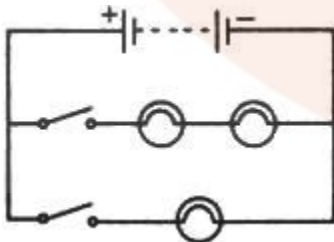
(a) Lamps are in series.

(b) Student has connected ammeter in parallel with lamps. It should be connected in series.

(c)



**Solution 33:**



**Solution 34:**

p.d. = 230V, I=8A

$$(a) I = \frac{Q}{t}$$

$$8 = \frac{Q}{1}$$

$$Q = 8 \times 1 = 8C$$

So, 8C of charge flows around the circuit each second.

(b) Energy transferred=Work done

$$p.d. = \frac{\text{Work done}}{\text{Charge moved}}$$

$$230 = \frac{\text{Work done}}{8}$$

$$\text{Work done} = 230 \times 8 = 1840 \text{ J}$$

$$\text{Energy transferred} = 1840 \text{ J}$$

**Solution 35:**

$$I = 5A$$

$$t = 1s$$

$$I = \frac{Q}{t}$$

$$Q = I \times t = 5 \times 1 = 5C$$

No. of electrons comprising  $1.6 \times 10^{-19} \text{ C} = 1$

$$\text{No. of electrons comprising } 5C = \frac{5}{1.6 \times 10^{-19}} = 31.25 \times 10^{18}$$

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**Solution 1:**

Ohm's law

**Solution 2:**

Unit of electrical resistance is ohm. Its symbol is  $\Omega$ .

**Solution 3:**

Electric resistance.

**Solution 4:**

Insulators.

**Solution 5:**

$$V = IR$$

Keeping R constant,  $V \propto I$

So, when V is halved, I also becomes half.

**Solution 6:**

Strength of electric current flowing in a given conductor depends on

- (i) potential difference across the ends of the conductor
- (ii) resistance of the conductor.

**Solution 7:**

Thick wire.

**Solution 8:**

$$V = IR$$

$$I = \frac{V}{R}$$

Keeping V constant,  $I \propto \frac{1}{R}$

So, when R is halved, I also becomes double.

**Solution 9:**

Potential difference,  $V = 20V$

Resistance,  $R = 5\text{ohms}$

Current,  $I = ?$

We know that

$$V = IR$$

$$20 = I \times 5$$

$$I = 20/5 = 4 \text{ A}$$

**Solution 10:**

$R = 20\text{ohms}$

$I = 2\text{amp}$

We know that

$$V = IR$$

Thus,

$$V = 2 \times 20$$

$$V = 40V$$

**Solution 11:**

$I = 5\text{amp}$

p.d.,  $V = 3V$   
We know that  
 $V = IR$   
Thus,  
 $3 = 5 \times R$   
 $R = 3/5 = 0.6 \text{ ohm}$

**Solution 12:**  
current.

**Solution 13:**

Those substances which have very low electrical resistance are called as good conductors. E.g., copper and aluminium.

Those substances which have comparatively high resistance than conductors are known as resistors. E.g., nichrome and manganin.

Those substances which have infinitely high electrical resistance are called insulators. E.g., rubber and wood.

**Solution 14:**

Conductor :- mercury, aluminum, iron, metal coin

Resistor :- manganin, nichrome

Insulator :- rubber, polythene, wood, bakelite, paper, thermocol

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**Solution 15:**

Ohm's law gives a relationship between current (I) and potential difference (V).

According to ohm's law: At constant temperature, the current flowing through a conductor is directly proportional to the potential difference across its ends.

If I is the current flowing through a conductor and V is the p.d. across its ends,

then according to the ohm's law:

$$I \propto V$$

$$\text{or, } V \propto I$$

$$\text{or, } V=RI$$

$$\text{or } R = \frac{V}{I}$$

where, R is a constant called "resistance" of the conductor.

The unit of resistance is ohm.

$$\text{If } V=1 \text{ volt and } I= 1 \text{ amp, then } R = \frac{1}{1} = 1 \text{ ohm.}$$

Thus, 1 ohm is the resistance of a conductor such that when a potential difference of 1 volt is applied to its ends, a current of 1 amp flows through it.

**Solution 16:**

(a) The property of a conductor due to which it opposes the flow of current through it is called resistance of the conductor.

Work done = Potential difference x charge moved.

$$(b) V = 12\text{volt, } I=2.5 \times 10^{-3} \text{ A}$$

We know that

$$V=IR$$

$$R=V/I$$

$$R=12/(2.5 \times 10^{-3})$$

$$R=4.8 \times 10^3 \text{ohm} = 4800 \text{ ohm.}$$

**Solution 17:**

(a) 1 ohm is the resistance of a conductor such that when a potential difference of 1 volt is applied to its ends, a current of 1ampere flows through it.

(b) Its resistance will increase.

(c)

$$V = IR$$

$$I = \frac{V}{R}$$

Keeping V constant,  $I \propto \frac{1}{R}$

So, when R is doubled, I becomes half.

**Solution 18:**

(a) Electricians wear rubber hand gloves while working with electricity because rubber is an insulator and protects them from electric shocks.

(b)  $I=6\text{amp}$ ,  $R=40\text{ohm}$

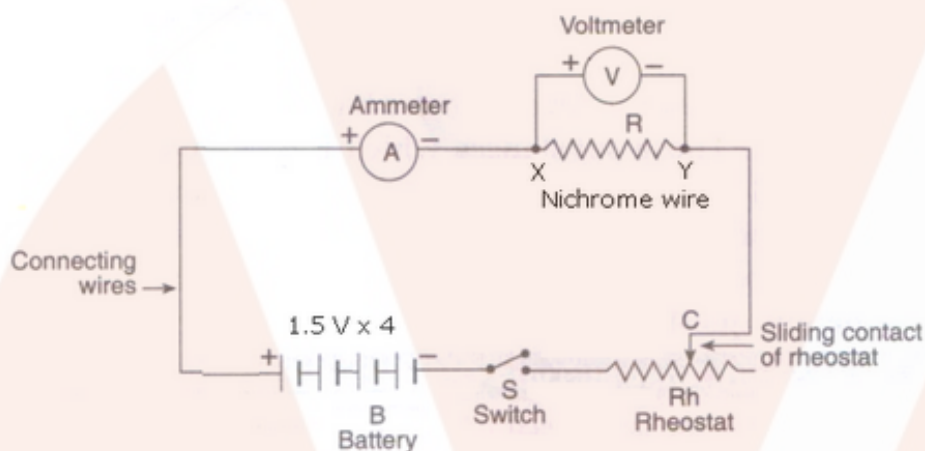
We know that

$$V=IR$$

$$V = 6 \times 40 = 240 \text{ V.}$$

### Solution 19:

(i)



(ii) Since the graph is a straight line passing through the origin, so current is directly proportional to the potential difference.

Hence, the ratio  $\frac{V}{I}$  remains constant.

From graph, when  $V=1.5$  volt,  $I=0.6$  amp

$$\text{So, } \frac{V}{I} = \frac{1.5}{0.6} = 2.5\Omega$$

For p.d.  $0.8\text{V}$ ,  $1.2\text{v}$  and  $1.6\text{V}$ , the value of  $\frac{V}{I}$  ratio remains the same i.e.,  $2.5$  ohm.

(iii) The resistance of the wire is equal to the ratio of potential difference applied and the current passing through it.

$$R = \frac{V}{I} = 2.5\Omega$$

### Solution 20:

(a) The ratio of potential difference and current is known as resistance.

(c) Ohm's law

(d) Potential difference = Current x Resistance

(e)  $V = 240$  volt,  $I = 5$  amp

We know that

$$V=IR$$

$$240 = 5 \times R$$

$$R = 240/5 = 48 \text{ ohm.}$$

### PAGE 30:

**Solution 30:**

In first case,  
 $I = 2.4$  amp,  $V = 120$  volt  
 $V = IR$   
 $120 = 2.4 \times R$   
 $R = 120/2.4 = 50$  ohm  
In second case,  
 $V = 240$  volt,  $R = 50$  ohm  
 $V = IR$   
 $240 = I \times 50$   
 $I = 4.8$  amp.

**Solution 31:**

Resistance.

**Solution 32:**

(a) Ohm's law  
(b) Temperature.

**Solution 33:**

In first case,  
 $I = 0.02$  amp,  $V = 10$  volt  
 $V = IR$   
 $10 = 0.02 \times R$   
 $R = 10/0.02 = 500$  ohm  
In second case,  
 $I = 250 \times 10^{-3}$  amp,  $R = 500$  ohm  
 $V = IR$   
 $V = 250 \times 10^{-3} \times 500$   
 $V = 125$  volt.

**Solution 34:**

$I = 200\text{mA} = 0.2$  A  
 $R = 4 \times 10^3\text{ohm} = 4000$  ohm  
We know that  
 $V = IR$   
 $V = 0.2 \times 4000$   
 $V = 800$  volt.

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**Solution 1:**

The resistance decreases.



**Solution 2:**

Resistance also gets doubled.

**Solution 3:**

Resistance of a conductor depends on the following factors:-  
Length of the conductor, area of cross section of the conductor, nature of material of the conductor and temperature of the conductor.

**Solution 4:**

Silver metal.

**Solution 5:**

Iron.

**Solution 6:**

Because copper and aluminium have very low resistivities.

**Solution 7:**

Nichrome.

**Solution 8:**

Nichrome is an alloy of nickel, chromium, manganese and iron having a resistivity of about 60 times more than that of copper. It is used for making the heating elements of electrical heating appliances.

**Solution 9:**

Nichrome alloy is used for making the heating elements of electrical appliances because:

(i) nichrome has very high resistivity

(ii) nichrome does not undergo oxidation (or burn) easily even at high temperature.

**Solution 10:**

Because

(i) resistivity of an alloy is much higher than that of a pure metal

(ii) an alloy does not undergo oxidation (or burn) easily even at high temperature.

**Solution 11:**

(a) A long piece of nichrome wire.

(b) A thin piece of nichrome wire.

**Solution 12:**

(a) On decreasing the temperature, the resistance decreases.

(b) Presence of impurities in a metal increases the resistance.

**Solution 13:**

Ohms; increases; increases; decreases.

**Solution 14:**

(a) Resistivity is the characteristic property of a substance which depends on the nature of the substance and its temperature. It is numerically equal to the resistance between the opposite faces of a 1 m cube of the substance.

(b)  $l = 1\text{m}$

$r = d/2 = 0.2/2 \text{ mm} = 0.1 \text{ mm} = 0.0001\text{m}$ ,

$R = 10 \text{ ohm}$

We know that,

$$R = \rho \frac{l}{A}$$

$$\rho = \frac{RA}{l}$$

$$= \frac{10 \times \pi \times (0.0001)^2}{1}$$

$$= 31.4 \times 10^{-8} \Omega\text{m}$$

**Solution 15:**

(b)  $l = 2\text{m}$

$A = 1.55 \times 10^{-6} \text{ m}^2$

$\rho = 2.8 \times 10^{-8} \Omega\text{m}$

$$R = \rho \frac{l}{A}$$

$$= 2.8 \times 10^{-8} \times \frac{2}{1.55 \times 10^{-6}}$$

$$= 0.036 \Omega$$

**Solution 16:**

(a) Silver and copper are good conductors of electricity because they have free electrons available for conduction.

$$(b) l = 1\text{km} = 1000\text{m}$$

$$r = \frac{d}{2} = \frac{0.5}{2}\text{mm} = 0.25\text{mm} = 0.25 \times 10^{-3}\text{m}$$

$$\rho = 1.7 \times 10^{-8}\Omega\text{m}$$

$$R = \rho \frac{l}{A} = \rho \frac{l}{\pi r^2}$$

$$R = 1.7 \times 10^{-8} \times \frac{1000}{3.14 \times (0.25 \times 10^{-3})^2} = 86.6 \Omega$$

**Solution 17:**

Current will flow more easily through thick wire because the resistance of the thick wire will be lesser than that of thin wire.

**Solution 18:**

(a) Resistance of a conductor increases (or decreases) with increase (or decrease) in the length of the conductor.

(b) Resistance of a conductor decreases (increases) with increase (decrease) in the area of cross-section of the conductor.

(c) Resistance of a conductor increases on raising the temperature and decreases on lowering the temperature.

**Solution 19:**

(a) If we take two similar wires of same length and same diameter, one of copper metal and other of nichrome alloy, we will find that the resistance of nichrome wire is about 60 times more than that of the copper wire. This shows that the resistance depends on the nature of material of the conductor.

$$(b) l = 10 \text{ km} = 10000 \text{ m}$$

$$d = 2 \text{ mm}$$

$$r = 1 \text{ mm} = 10^{-3} \text{ m}$$

$$\rho = 2.7 \times 10^{-8} \Omega \text{ m}$$

$$R = \rho \frac{l}{A}$$

$$= 2.7 \times 10^{-8} \times \frac{10000}{3.14 \times (10^{-3})^2}$$

$$= 0.859 \times 10^2 \Omega$$

$$\approx 86 \Omega$$

**Solution 20:**

- (a) Resistance will increase.
- (b) Resistance will decrease.
- (c) Resistance will increase.

**Solution 21:**

- (a) By increasing the area of cross section, the resistance will decrease.
- (b) By increasing the diameter, the resistance will decrease.

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**Solution 22:**

$$R = \rho \frac{l}{A}$$

(a)  $l \rightarrow 3l$

$$R' = \rho \frac{3l}{A} = 3R$$

Resistance gets tripled.

(b)  $d \rightarrow 3d$

$$R = \rho \frac{l}{A} = R = \rho \frac{l}{\pi r^2} = \rho \frac{l}{\pi \left(\frac{d}{2}\right)^2}$$

$$R' = \rho \frac{l}{\pi \left(\frac{3d}{2}\right)^2} = \frac{1}{9} \rho \frac{l}{\pi \left(\frac{d}{2}\right)^2} = \frac{R}{9}$$

Resistance becomes  $\frac{1}{9}$  th.

(c)  $R = \rho \frac{l}{A}$

$\rho \rightarrow 3\rho$

$$R' = 3\rho \frac{l}{A} = 3R$$

Resistance becomes 3 times.

**Solution 23:**

$l = 1.0\text{m}$

$R = 23 \text{ ohm}$

$\rho = 1.84 \times 10^{-6} \text{ohm-meter}$

we have

$$R = \rho \frac{l}{A}$$

$$23 = 1.84 \times 10^{-6} \times \frac{1}{A}$$

$$A = \frac{1.84 \times 10^{-6}}{23}$$

$$= 0.08 \times 10^{-6} \text{ m}^2$$

$$= 8 \times 10^{-8} \text{ m}^2$$

### Solution 24:

(a) Resistivity,  $\rho = \frac{R \times A}{l}$

where, R is the resistance of the conductor  
A is the area of cross-section of the conductor  
l is the length of the conductor.

(b) Ohm-meter

(c) 1. Resistance is the property of the conductor, while resistivity is the property of the material of the conductor.

2. Resistance of a conductor is the opposition to the flow of electric current through it. Resistivity of a substance is the opposition to the flow of electric current by a rod of that substance which is 1m long and  $1\text{m}^2$  in cross section.

3. Resistance of a conductor depends on length, thickness, nature of material and temperature of the conductor; while resistivity of a substance depends on the nature of the substance and temperature.

(d) Resistivity of a substance depends on the nature of the substance and its temperature. It does not depend on the length or thickness of the conductor.

(e)  $l = 1\text{m}$

$R = 26\text{ohm}$

$r = \frac{d}{2} = \frac{0.3}{2}\text{mm} = 0.15\text{mm} = 0.15 \times 10^{-3}\text{m}$

$\rho = \frac{R \times A}{l} = \frac{R \times \pi r^2}{l}$

$= \frac{26 \times 3.14 \times (0.15 \times 10^{-3})^2}{1}$

$= 1.83 \times 10^{-6}\ \Omega\text{m}$

### Solution 33:

$R = \rho \frac{l}{A}$

Now,

$l' = 2l$  and  $A' = \frac{A}{2}$

$\rho' = \rho$  (since the material of the wire is the same)

So,  $R' = \rho' \frac{l'}{A'}$

$= \rho \frac{2l}{A/2}$

$= 4\rho \frac{l}{A} = 4R$

$R' = 4 \times 20 = 80\ \Omega$

### Solution 34:

(a) Material Q with resistivity  $2.63 \times 10^{-8}\text{ohm-m}$  can be used for making electric wires because it has very low resistivity.

(b) Material R with resistivity  $1.0 \times 10^{15}$  ohm-m can be used for making handle of soldering iron because it has very high resistivity.

(c) Material P with resistivity  $2.3 \times 10^3$  ohm-m can be used for making solar cell because it is a semiconductor.

**Solution 35:**

- (a) Good conductor = C ( $10 \times 10^{-8}$  ohm-m)
- (b) Resistor = A ( $110 \times 10^{-8}$  ohm-m)
- (c) Insulator = B ( $1 \times 10^{10}$  ohm-m)
- (d) Semiconductor = D ( $2.3 \times 10^3$  ohm-m)

**Solution 36:**

- (a) E is best conductor of electricity due to its least electrical resistivity.
- (b) C, because its resistivity is lesser than that of A.
- (c) B, because it has the highest electrical resistivity.
- (d) C and E, because of their low electrical resistivities.

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**Solution 1:**

According to the law of combination of resistances in series, the combined resistance of any number of resistances connected in series is equal to the sum of the individual resistances.

**Solution 2:**

As per the law of combination of resistances in series,  
 $R = R_1 + R_2 + R_3 + R_4 + R_5$   
 $R = 0.2 + 0.2 + 0.2 + 0.2 + 0.2 = 1 \text{ ohm.}$

**Solution 3:**

According to the law of combination of resistance in parallel, the reciprocal of the combined resistance of a number of resistances connected in parallel is equal to the sum of the reciprocals of all the individual resistances.

**Solution 4:**

$$R_1 = R_2 = R_3 = 3\Omega$$

$$\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

$$= \frac{1}{3} + \frac{1}{3} + \frac{1}{3} = \frac{3}{3} = 1$$

$\therefore R = 1\Omega$

**Solution 5:**

Since the resultant resistance is less than the individual resistances, so the resistances should be connected in parallel.

**Solution 6:**

In case of parallel combination, the resultant resistance will be less than either of the individual resistances.

**Solution 7:**

$$R_1 = 2\text{ohm}, R_2 = 6\text{ohm}$$

Case I: (Parallel combination)

$$1/R = 1/R_1 + 1/R_2$$

$$1/R = 1/2 + 1/6 = 4/6$$

$$R = 6/4 = 1.5\text{ohm}$$

Case II: (Series combination)

$$R = R_1 + R_2 = 2 + 6 = 8\text{ohm}$$

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**Solution 8:**

(a) By connecting in parallel: Since equivalent resistance will be

$$1/R = 1/4 + 1/4 = 2/4 = 1/2$$

Therefore,  $R = 2\text{ ohm}$

(b) By connecting in series : Since equivalent resistance will be

$$R = 4\text{ ohm} + 4\text{ ohm} = 8\text{ ohm.}$$

**Solution 9:**

Resistance of arrangement A is 10 ohm.

Combined resistance of arrangement B is calculated as follows:

$$1/R = 1/10 + 1/1000 = (100+1)/1000$$

$$R = 1000/101 = 9.9\text{ ohm}$$

Therefore, arrangement B has lower combined resistance.

**Solution 10:**

Resistance of each part is  $R/2$ .

Resultant resistance  $R'$  is given by

$$1/R' = 2/R + 2/R$$

$$R' = R/4.$$



**Solution 11:**

(a)  $R_1=500\text{ohm}$ ,  $R_2=1000\text{ohm}$

As per given figure,

$$R=R_1+R_2=500+1000=1500\text{ohm.}$$

(b)  $R_1=2\text{ohm}$ ,  $R_2=2\text{ohm}$

As per given figure,

$$1/R=1/R_1+1/R_2$$

$$1/R=1/2+1/2$$

$$R=1\text{ohm}$$

(c)  $R_1=4\text{ohm}$ ,  $R_2=4\text{ohm}$ ,  $R_3=3\text{ohm}$

As per given figure,

$$1/R=1/R_1+1/R_2$$

$$1/R=1/4+1/4$$

$$R=2\text{ohm}$$

$$\text{Total resistance} = R+R_3$$

$$=2+3=5\text{ohm}$$

**Solution 12:**

$$R_1=6\text{ohm}, R_2=4\text{ohm}, V=24\text{V}$$

The two resistances are connected in parallel.

$$\text{Current across } R_1=I_1=V/R_1=24/6=4\text{amp}$$

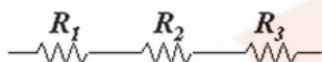
$$\text{Current across } R_2=I_2=V/R_2=24/4=6\text{amp}$$

### Solution 13:

(i) Series combination

When two or more resistances are connected end to end consecutively, they are said to be connected in series combination. The combined resistance of any number of resistances connected in series is equal to the sum of the individual resistances.

$$R = R_1 + R_2 + \dots$$

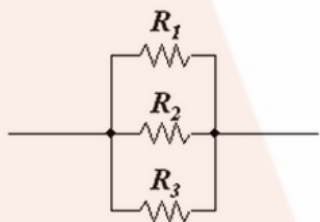


The resultant resistance is more than either of the individual resistances.

(ii) Parallel combination

When two or more resistances are connected between the same two points, they are said to be connected in parallel combination. The reciprocal of the combined resistance of a number of resistances connected in parallel is equal to the sum of the reciprocals of all the individual resistances.

$$1/R = 1/R_1 + 1/R_2 + \dots$$



The resultant resistance is less than either of the individual resistances.

### Solution 14:

$$R_1 = 0.2 \text{ ohm}, R_2 = 0.4 \text{ ohm}, R_3 = 0.3 \text{ ohm}, R_4 = 0.5 \text{ ohm}, R_5 = 12 \text{ ohm}, V = 9 \text{ V}$$

$$\text{Resultant resistance} = R_1 + R_2 + R_3 + R_4 + R_5$$

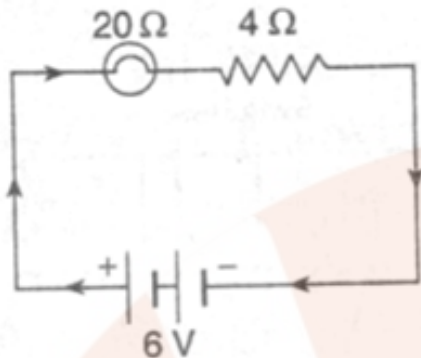
$$R = 0.2 + 0.4 + 0.3 + 0.5 + 12 = 13.4 \text{ ohm}$$

Thus the current flow through 12 ohm resistance will be  $= V/R$

$$I = 9/13.4$$

$$I = 0.67 \text{ amp.}$$

**Solution 15:**



(a) Total resistance of the circuit =  $R_1 + R_2 = 20 + 4 = 24 \text{ ohm}$

(b) We know that

$$V = IR$$

Therefore,

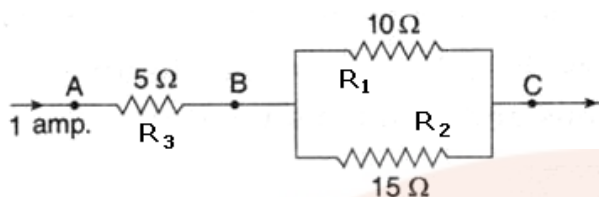
$$6 = I \times 24$$

$$I = 6/24 = 0.25 \text{ amp}$$

(c) p.d. across bulb =  $IR_1 = 0.25 \times 20 = 5 \text{ V}$

(d) p.d. across resistance wire =  $IR_2 = 0.25 \times 4 = 1 \text{ V}$

### Solution 16:



According to the diagram,

(i) Total current  $I = 1\text{ amp}$  is entering the parallel combination of  $R_1$  and  $R_2$ . Let  $I_1$  current flow through  $R_1$  and  $I_2$  current flow through  $R_2$ . Then

$$I_1 = \frac{IR_2}{R_1 + R_2}$$

$$= \frac{1 \times 15}{10 + 15} = 0.6\text{ A}$$

$$I_2 = \frac{IR_1}{R_1 + R_2}$$

$$= \frac{1 \times 10}{10 + 15} = 0.4\text{ A}$$

(ii) p.d. across  $AB = IR_3 = 1 \times 5 = 5\text{ V}$

Equivalent resistyance between B and C is

$$1/R' = 1/R_1 + 1/R_2 = 1/10 + 1/15$$

$$1/R' = 5/30$$

$$R' = 6\text{ ohm}$$

Total resistance between A and C is  $R = 5 + 6 = 11\text{ ohm}$

$$\text{p.d. across AC} = IR = 1 \times 11 = 11\text{ V}$$

(iii) Total resistance =  $R_3 + R' = 5 + 6 = 11\text{ ohm}$

### Solution 17:

As per the circuit

$$V = 4\text{ V}$$

$$\text{Total resistance in line 1} = R_1 = 6 + 3 = 9\text{ ohm}$$

$$\text{Total resistance in line 2} = R_2 = 12 + 3 = 15\text{ ohm}$$

$$(i) \text{ Current through } 6\Omega \text{ resistor} = \text{current through line 1} = \frac{V}{R_1} = \frac{4}{9} = 0.44\Omega$$

(ii) p.d. across line 2 is 4V

$$\text{current through line 2} = \frac{V}{R_2} = \frac{4}{15}\Omega$$

$$\text{p.d. across } 12\Omega \text{ resistor} = \frac{4}{15} \times 12 = 3.2\text{ V}$$

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**Solution 18:**

Given: Two resistors with resistances  $R_1=5\text{ohm}$  and  $R_2=10\text{ohm}$ ,  $V=6\text{volt}$

(a) For minimum current these two should be connected in series. For maximum current these two should be connected in parallel.

(b) In series,

Total resistance =  $5+10 = 15\text{ohms}$

Therefore total current drawn =  $V/R = 6/15 = 0.4\text{amps}$

In parallel,

Total resistance R is given as

$$1/R=1/R_1+1/R_2$$

$$1/R=1/5+1/10$$

$$1/R=3/10$$

$$R=10/3\text{ohm}$$

Therefore total current drawn by the circuit =  $V/R = 6/(10/3) = 1.8\text{amps}$ .

**Solution 19:**

(i) Total resistance of two resistors that are connected in parallel is

$$1/R' = 1/3+1/6$$

$$1/R' = 3/6$$

$$R' = 2\text{ohms}$$

Total resistance of the circuit =  $2+4\text{ohms} = 6\text{ohms}$

(ii) Total current flowing through the circuit =  $V/\text{total resistance}$

$$I = 12/6 = 2\text{amps}$$

(iii) Potential difference across  $R_1=R_1 \times I = 4 \times 2 = 8\text{V}$ .

**Solution 20:**

Given :-

1 amp current is flowing through 5ohm resistor.

We know that in case of parallel connection, the p.d. across each resistor is same and is equal to the voltage applied.

Therefore, applied voltage,  $V = IR = 1 \times 5 = 5\text{V}$

So,

Current through 4 ohm resistor =  $V/R = 5/4 = 1.25 \text{ A}$

Current through 10 ohm resistor =  $V/R = 5/10 = 0.5 \text{ A}$

**Solution 21:**

$$I = 5A$$

$$V = 220V$$

$$R = \frac{V}{I} = \frac{220}{5} = 44\Omega$$

Required resistance is less than  $176\Omega$ , so the resistors should be connected in parallel.

Let the required no. be  $n$ .

$$R_{eq} = \frac{176}{n} = 44$$

$$n = \frac{176}{44} = 4$$

**Solution 22:**

Given  $V=220V$

$$R_A = R_B = 24 \text{ ohm}$$

(a) Current drawn when only coil A is used:

$$I = V/R_A = 220/24 \\ = 9.16 \text{ amps}$$

(b) Current drawn when coils A and B are used in series:

$$\text{Total resistance, } R = R_A + R_B = 24 + 24 = 48 \text{ ohms}$$

$$I = V/R = 220/48 \\ = 4.58 \text{ amps}$$

(c) Current drawn when coils A and B are used in parallel:

$$\text{Total resistance, } 1/R = 1/R_A + 1/R_B = 1/24 + 1/24 = 2/24 = 1/12$$

$$R = 12 \text{ ohms}$$

$$I = V/R = 220/12 \\ = 18.33 \text{ amps}$$

**Solution 23:**

(i) Equivalent resistance of 10  $\Omega$  and 40  $\Omega$  resistances (connected in parallel) is  $R_1$ , given as:

$$\frac{1}{R_1} = \frac{1}{10} + \frac{1}{40} = \frac{5}{40}$$

$$R_1 = 8 \Omega$$

Equivalent resistance of 30  $\Omega$ , 20  $\Omega$  and 60  $\Omega$  resistances (connected in parallel) is  $R_2$ , given as:

$$\frac{1}{R_2} = \frac{1}{30} + \frac{1}{20} + \frac{1}{60} = \frac{6}{60}$$

$$R_2 = 10 \Omega$$

$R_1$  and  $R_2$  are connected in series.

$$\therefore \text{Total resistance in the circuit is } R = R_1 + R_2 = 8 + 10 = 18 \Omega$$

(ii) Total current flowing in the circuit,  $I = \frac{V}{R} = \frac{12}{18} = 0.67 \text{ A}$

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**Solution 24:**

$$V = 12 \text{ V}$$

$R_1$ ,  $R_2$  and  $R_3$  are connected in parallel.

(a) Current through  $R_1 = V/R_1 = 12/5 = 2.4 \text{ A}$

Current through  $R_2 = V/R_2 = 12/10 = 1.2 \text{ A}$

Current through  $R_3 = V/R_3 = 12/30 = 0.4 \text{ A}$

(b) Total current in the circuit =  $2.4 + 1.2 + 0.4 = 4 \text{ A}$

(c) Total resistance in the circuit =  $R$

$$1/R = 1/R_1 + 1/R_2 + 1/R_3$$

$$1/R = 1/5 + 1/10 + 1/30$$

$$1/R = 10/30$$

$$R = 3 \text{ ohm}$$

**Solution 25:**

$$V = 4V,$$

$$R_1 = 6 \text{ ohm}, R_2 = 8 \text{ ohm (in series)}$$

(a) Combined resistance,  $R = R_1 + R_2 = 6 + 2 = 8 \text{ ohm}$

(b) Current flowing,  $I = V/R = 4/8 = 0.5 \text{ amp}$

(c) p.d. across 6ohm resistor =  $I \times R_1 = 0.5 \times 6 = 3 \text{ V}$

**Solution 26:**

$$V = 6V$$

$$R_1 = 3 \text{ ohm}, R_2 = 6 \text{ ohm (in parallel)}$$

(a) Combined resistance,

$$1/R = 1/R_1 + 1/R_2$$

$$1/R = 1/3 + 1/6 = 3/6 = 1/2$$

$$R = 2 \text{ ohm}$$

(b) Current flowing in the main circuit,  $I = V/R = 6/2 = 3 \text{ A}$

(c) Current flowing in 3 ohm resistor =  $V/R_1 = 6/3 = 2 \text{ A}$



**Solution 27:**

$$I = 6\text{ V}$$

$$R_1 = 2\ \Omega, R_2 = 3\ \Omega$$

(a) Combined resistance,  $R_{\text{tot}} = 2 + 3 = 5\ \Omega$

(b)  $I = \frac{V}{R_{\text{tot}}} = \frac{10}{5} = 2\ \text{A}$

(c) p.d. across  $2\ \Omega$  resistor =  $I \times R_1 = 2 \times 2 = 4\ \text{V}$

(d) p.d. across  $3\ \Omega$  resistor =  $I \times R_2 = 2 \times 3 = 6\ \text{V}$

**Solution 28:**

Total current flowing through circuit,  $I = 6\ \text{A}$

$$R_1 = 3\ \text{ohm}, R_2 = 6\ \text{ohm}$$

(a) Combined resistance R is

$$1/R = 1/3 + 1/6$$

$$1/R = 3/6$$

$$R = 2\ \text{ohms}$$

(b) p.d. across the combined resistance =  $IR = 6 \times 2 = 12\ \text{V}$

(c) p.d. across the  $3\ \text{ohm}$  resistor = p.d. across the combined resistance =  $12\ \text{V}$

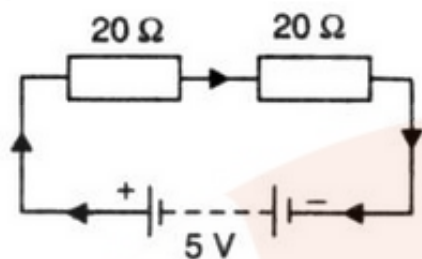
(d) Current flowing through the  $3\ \text{ohm}$  resistor =  $V/R_1 = 12/3 = 4\ \text{A}$

(e) Current flowing through the  $6\ \text{ohm}$  resistor =  $V/R_2 = 12/6 = 2\ \text{A}$

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**Solution 29:**

(a)



(b) Effective resistance =  $20 + 20 = 40$  ohms

(c) Current flowing through the circuit =  $I = V/R = 5/40 = 0.125$  amps

(d) p.d. across each resistance =  $I \times R = 0.125 \times 20 = 2.5$  V

**Solution 30:**

$V=6V, R_1=2\text{ohms}, R_2=3\text{ohms}$

(a) Resistors are connected in parallel

(b) p.d. across each resistor is same and is equal to 6V.

(c) 2 ohms resistance have bigger share of current because of its lower resistance.

(d) Effective resistance= $R$

$$1/R=1/2+1/3$$

$$1/R=5/6$$

$$R=1.2\text{ohms}$$

(e) Current flowing through battery,  $I=V/R=6/1.2=5$ amps

**Solution 31:**

$4\Omega$  and  $2\Omega$  coil are connected in parallel.

Combined resistance is R

$$\frac{1}{R} = \frac{1}{4} + \frac{1}{2} = \frac{3}{4}$$

$$R = \frac{4}{3} \Omega$$

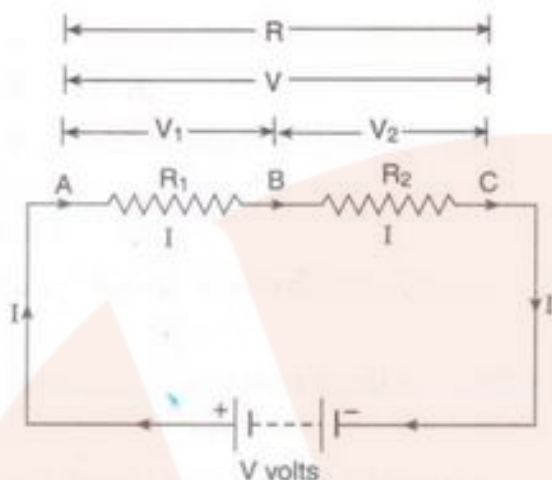
$$\text{Total current } I = \frac{V}{R} = 3\text{A}$$

$$\frac{V}{4/3} = 3$$

$$V = 3 \times \frac{4}{3} = 4\text{V}$$

$$\text{Current through } 2\Omega \text{ coil} = \frac{V}{2} = \frac{4}{2} = 2\text{A}$$

**Solution 32:**



(a) Fig shows two resistances  $R_1$  and  $R_2$  connected in series with a battery of  $V$  volts.

Let the p.d. across  $R_1$  is  $V_1$  and the p.d. across  $R_2$  is  $V_2$ .

$$\text{s.t } V = V_1 + V_2 \text{ -----(1)}$$

Let the equivalent resistance be  $R$  and current flowing through whole circuit is  $I$ .

By Ohm's law,

$$\frac{V}{I} = R$$

$$V = I \times R \text{ -----(2)}$$

Applying Ohm's law to both  $R_1$  and  $R_2$ ,

$$V_1 = I \times R_1 \text{ -----(3)}$$

$$V_2 = I \times R_2 \text{ -----(4)}$$

From eqs. (1), (2), (3) and (4), we get

$$I \times R = I \times R_1 + I \times R_2$$

$$I \times R = I \times (R_1 + R_2)$$

$$R = R_1 + R_2$$

(b)

(i) Current through  $5\Omega$  resistor =  $\frac{10}{5} = 2A$

(ii) Since  $5\Omega$  resistor and  $R$  are connected in series, so same current flows through them.

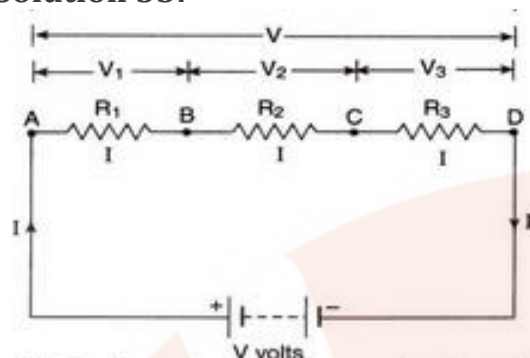
So, Current through  $R = 2A$

(iii)  $V = IR$

$$R = \frac{V}{I} = \frac{6}{2} = 3\Omega$$

(iv)  $V = 10 + 6 = 16V$

**Solution 33:**



(a) Fig shows three resistances  $R_1$ ,  $R_2$  and  $R_3$  connected in series with a battery of  $V$  volts.

Let the p.d. across  $R_1$ ,  $R_2$  and  $R_3$  is  $V_1$ ,  $V_2$  and  $V_3$  respectively.

$$\text{s.t. } V = V_1 + V_3 + V_2 \text{ -----(1)}$$

Let the equivalent resistance be  $R$  and current flowing through whole circuit is  $I$ .

By Ohm's law,

$$\frac{V}{I} = R$$

$$V = I \times R \text{ -----(2)}$$

Applying Ohm's law to both  $R_1$ ,  $R_2$  and  $R_3$ ,

$$V_1 = I \times R_1 \text{ -----(3)}$$

$$V_2 = I \times R_2 \text{ -----(4)}$$

$$V_3 = I \times R_3 \text{ -----(5)}$$

From eqs. (1), (2), (3), (4) and (5), we get

$$I \times R = I \times R_1 + I \times R_2 + I \times R_3$$

$$I \times R = I \times (R_1 + R_2 + R_3)$$

$$R = R_1 + R_2 + R_3$$

(b) Let  $5\Omega = R_1$ ,  $10\Omega = R_2$ ,  $30\Omega = R_3$

$$(i) \text{ Current through } R_1 = I_1 = \frac{V}{R_1} = \frac{6}{5} = 1.2A$$

$$\text{Current through } R_2 = I_2 = \frac{V}{R_2} = \frac{6}{10} = 0.6A$$

$$\text{Current through } R_3 = I_3 = \frac{V}{R_3} = \frac{6}{30} = 0.2A$$

(ii) Total current in the circuit =  $1.2 + 0.6 + 0.2 = 2A$

(iii) Effective resistance  $R$  is given as

$$\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

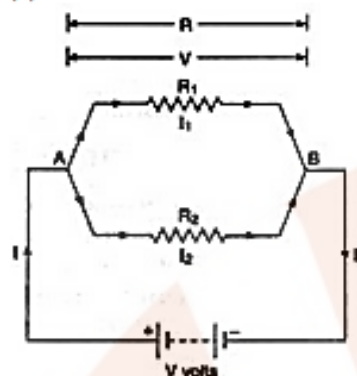
$$= \frac{1}{5} + \frac{1}{10} + \frac{1}{30}$$

$$= \frac{6 + 3 + 1}{30} = \frac{10}{30}$$

$$R = \frac{30}{10} = 3\Omega$$

### Solution 34:

(a)



Suppose total current flowing the circuit is  $I$ , then the current passing through resistance  $R_1$  will be  $I_1$  and current passing through resistance  $R_2$  will be  $I_2$ .

$$\text{Total current} = I = I_1 + I_2$$

Let resultant resistance of this parallel combination is  $R$ . By applying the Ohm's law to the whole circuit, we get that  $I = V/R$

Since the potential difference across the both the resistances is same, so applying the Ohm's law to each resistance we get that

$$I_1 = V/R_1$$

$$I_2 = V/R_2$$

Putting these eq in the above one, we get that

$$V/R = V/R_1 + V/R_2$$

$$1/R = 1/R_1 + 1/R_2$$

If two resistance are connected in parallel than, the resultant resistance will be

$$1/R = 1/R_1 + 1/R_2$$

(b)

(i) Total resistance =  $R$

$$1/R = 1/R_1 + 1/R_2$$

$$R_2 = 3 + 2 = 5 \text{ ohms}$$

$$R_1 = 5 \text{ ohms}$$

$$1/R = 1/5 + 1/5$$

$$1/R = 2/5$$

$$R = 2.5 \text{ ohms}$$

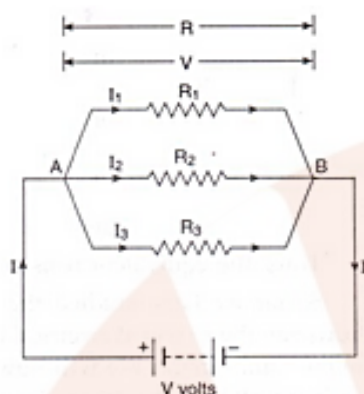
(ii) Current flowing through the circuit

$$I = V/R = 4/(2.5)$$

$$= 1.6 \text{ amps}$$

### Solution 35:

(a)



Suppose total current flowing in the circuit is  $I$ , then the current passing through resistance  $R_1$  will be  $I_1$ , current passing through resistance  $R_2$  will be  $I_2$  and current passing through resistance  $R_3$  will be  $I_3$ .

$$\text{Total current} = I = I_1 + I_2 + I_3$$

Let resultant resistance of this parallel combination is  $R$ . By applying the Ohm's law to the whole circuit, we get that

$$I = V/R$$

Since the potential difference across all the resistances is same, so applying the Ohm's law to each resistance we get that

$$I_1 = V/R_1$$

$$I_2 = V/R_2$$

$$I_3 = V/R_3$$

Putting these eqs. in the above one, we get

$$V/R = V/R_1 + V/R_2 + V/R_3$$

$$1/R = 1/R_1 + 1/R_2 + 1/R_3$$

If two resistance are connected in parallel, then the resultant resistance will be

$$1/R = 1/R_1 + 1/R_2 + 1/R_3$$

(b) If switch is open, then only upper two resistances (connected in parallel) are in the circuit.

Effective resistance is  $1/R_{eq} = 1/R + 1/R = 2/R$

$$R_{eq} = R/2$$

So the current  $= I = V/(R/2) = 0.6A$  (given)

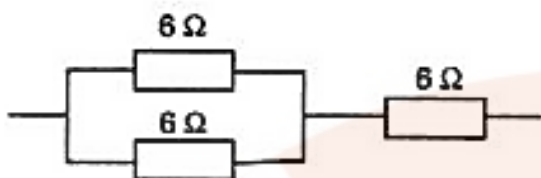
$$V/R = 0.3 A$$

When the switch closes, the third resistance also comes in the circuit. The effective resistance of the circuit becomes  $R/3$

Hence, Current  $I = V/(R/3) = 3(V/R) = 3 \times 0.3 = 0.9 A$

**Solution 43:**

(i)



Resultant resistance for parallel circuit= $R$

$$1/R=1/6+1/6$$

$$1/R=2/6$$

$$R=3$$

Effective resistance= $6+3=9$ ohms

(ii)



Resultant resistance for each parallel circuit= $R$

$$1/R=1/6+1/6+1/6$$

$$1/R=3/6$$

$$R=2$$

Therefore effective resistance= $2+2=4$ ohms.



**Solution 44:**

Two resistances when connected in series, resultant value is 9ohms.  
Two resistances when connected in parallel, resultant value is 2ohms.  
Let the two resistances be  $R_1$  and  $R_2$ .

If connected in series, then

$$9 = R_1 + R_2$$

$$R_1 = 9 - R_2$$

If connected in parallel, then

$$1/2 = 1/R_1 + 1/R_2$$

From above equations we get that

$$1/2 = (R_1 + R_2) / R_1 R_2$$

$$1/2 = 9 / (9 - R_2) R_2$$

$$9R_2 - R_2^2 = 18$$

$$R_2^2 - 9R_2 + 18 = 0$$

$$(R_2 - 6)(R_2 - 3) = 0$$

$$R_2 = 6, 3$$

So if  $R_2 = 6$ ohms, then  $R_1 = 9 - 6 = 3$ ohms.

If  $R_2 = 3$ ohms, then  $R_1 = 9 - 3 = 6$ ohms.

**Solution 45:**

Given:

A resistor of 8ohm is connected in parallel with a resistor of X.

And resultant is 4.8.

Then X=?

We know that for parallel case

$$1/R = 1/R_1 + 1/X$$

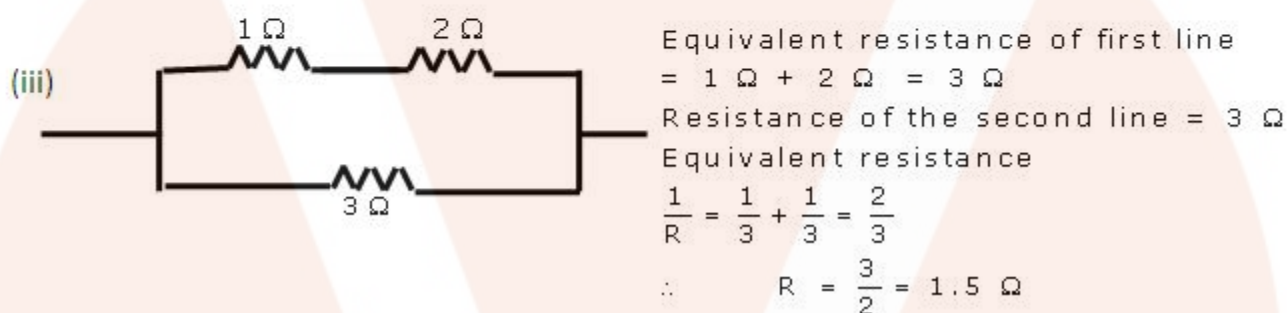
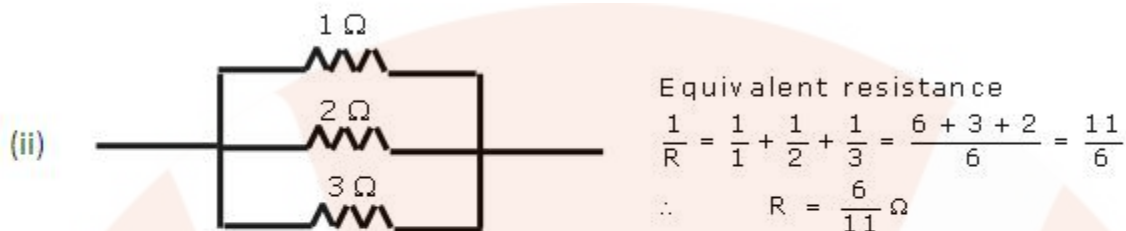
$$1/4.8 = 1/8 + 1/x$$

$$1/4.8 - 1/8 = 1/x$$

After solving we get that

$$X = 12 \text{ohms}$$

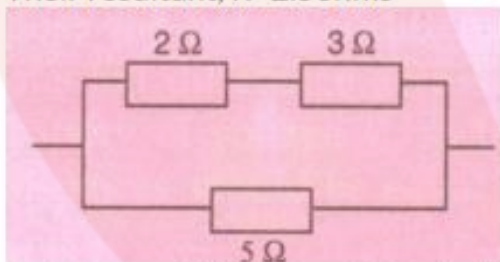
**Solution 46:**



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**Solution 47:**

Given: Three resistances of 2ohms, 3ohms, 5ohms.  
 Their resultant,  $R=2.5\text{ohms}$



Resistance of first line =  $2+3 = 5\text{ ohm}$   
 So,  $1/R = 1/5 + 1/5$   
 On solving we get that  
 $R=2.5\text{ohms}$

**Solution 48:**

- (a) Connect 2ohms resistor in series with a parallel combination of 3ohms and 6ohms.
- (b) Connect 2ohms, 3ohms, and 6ohms in parallel.

**Solution 49:**

(a) For obtaining the highest resistance by combining the given resistances, we must connect them in series.

We get,

$$R=4+8+12+24=48\text{ohms}$$

(b) For obtaining the lowest resistance by combining the given resistances, we must connect them in parallel.

We get,

$$1/R=1/4+1/8+1/12+1/24$$

On solving we get,  $R=2\text{ohms}$

**Solution 50:**

The three resistance of 20 ohm, 10 ohm and 20 ohm on the extreme right side are in series. So, the resultant of these three resistances =  $20+20+10 = 50\text{ohms}$ .

This 50ohms is in parallel with 30ohms. So resultant of these two will be

$$1/R=1/30+1/50$$

$$1/R=80/1500$$

$$R=18.75\text{ohms}$$

Now, the resistances 10 ohms, 18.75 ohms and 10 ohms are in series.

Therefore, resultant resistance =  $18.75+10+10 = 38.75\text{ohms}$ .

**Solution 51:**

Given:  $n=100$ ,  $R=1\text{ ohm}$

For obtaining the smallest resistance, these resistances are connected in parallel:

$$\text{Equivalent resistance} = 1/1 + 1/1 + 1/1 \dots 100 \text{ times} = 100/1$$

$$R_{eq} = 1/100 = 0.01\text{ ohm}$$

For obtaining the largest resistance, these resistances are connected in series:

$$\text{Equivalent resistance} = 1 + 1 + 1 \dots 100 \text{ times} = 100$$

$$R_{eq} = 100\text{ ohm}$$

**Solution 52:**

For obtaining 250ohms, connect two 100ohms in series with a parallel combination of two 100ohms.

**Solution 53:**

$$R_{eq} = R+R+R+R = 4R \text{ ohm}$$

$$\text{Total current in the circuit, } I = V/R = 12/4R = 3/R$$

$$\text{Reading of voltmeter A = Voltage across } R_1 = I \times R_1 = 3/R \times R = 3V$$

$$\text{Reading of voltmeter B= Voltage across } R_2 = I \times R_2 = 3/R \times R = 3V$$

$$\text{Reading of voltmeter C= Voltage across the series combination of } R_3 \text{ and } R_4 = I \times (R_3+R_4) = 3/R \times 2R = 6V$$

**Solution 54:**

Resultant resistance of a parallel combination of four 16 ohm resistances is

$$1/R = 1/16 + 1/16 + 1/16 + 1/16 = 4/16$$

$$R = 4 \text{ ohm}$$

Four such combinations are connected in series, so total resistance =  $4+4+4+4 = 16 \text{ ohm}$ .

**Solution 55:**

The total current of 0.5 A flowing in the circuit distributes equally in the two arms having lamps (since the lamps have same resistance). Hence current through each of these arms is 0.25 A. Hence  $A_2, A_3, A_4$  and  $A_5$ , all will read 0.25 A.

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**Solution 1:**

No, they are wired in parallel.

**Solution 2:**

All the other bulbs also stop glowing.

**Solution 3:**

All the other bulbs keep glowing.

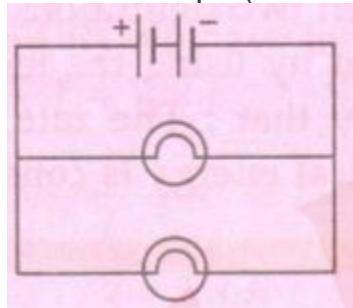
**Solution 4:**

(a) Series

(b) Parallel

**Solution 5:**

The two lamps (of 4V each) should be arranged in parallel with the two 2V cells.



**Solution 6:**

A series arrangement is not used for connecting domestic electrical appliances in a circuit because if one electrical appliance stops working due to some defect, then all other appliance also stop working as the whole circuit is broken.

**Solution 7:**

Different electrical appliances in a domestic circuit are connected in parallel because of the following advantages:

- (i) If one electrical appliance stops working due to some defect, then all other appliances keep working properly.
- (ii) Each electrical appliance has its own switch due to which it can be turned on or turned off independently, without affecting other appliances.
- (iii) Each electrical appliance gets the same voltage as that of the power supply line.

**Solution 8:**

- (a) Parallel circuit
- (b) Parallel circuit
- (c) Series circuit
- (d) Series circuit.

**Solution 9:**

- (a) circuit (ii)
- (b) circuit (iii)
- (c) circuit (iii)

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**Solution 10:**

Parallel arrangement because if one electrical bulb stops glowing due to some defect the other will keep glowing.

Parallel arrangement takes more current from the battery due to its lesser equivalent resistance.

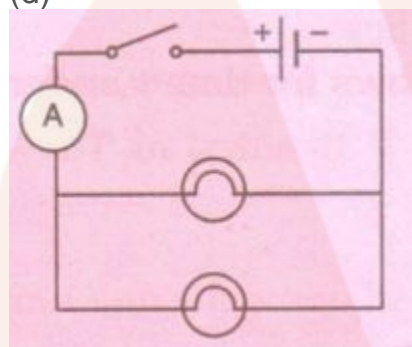
**Solution 11:**

(a) Parallel circuits – Because if one electrical appliance stops working due to some defect, then all other appliances in the circuit will keep working properly.

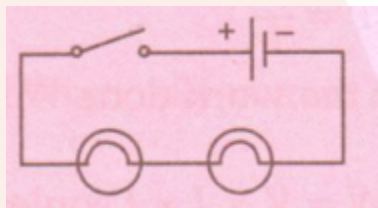
(b) All the other lamps stop glowing.

(c) All lamps are connected in series.

(d)



**Solution 11:**



(a)

(b) The brightness of the lamps can be changed by connecting the lamps in parallel.

**Solution 15:**

(a) C will be the brightest. Voltage will be distributed equally between A and B, so they will have equal brightness but lesser than that of C.

(b) A gets the same voltage as before, so its brightness remains the same.

(c) If B burns put, A will also stop glowing because it is connected in series with B. However, brightness of C remains the same.

**Solution 16:**

The brightness of two lamps arranged in parallel is much more those arranged in series.

**Solution 17:**

- (a) In case of series connection, if filament of one lamp breaks, the other will stop glowing.  
(b) In case of parallel connection, if filament of one lamp breaks, the other will keep glowing.

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**Solution 18:**

- (a) Turn the switch to right side so as the resistance decreases.  
(b) Turn the switch to the left side so as the resistance increases.

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**Solution 1:**

Electrical energy consumed by an electrical appliance depends on:

1. Power rating of the appliance.
2. Time for which the appliance is used.

**Solution 2:**

60 watt bulb, because power is inversely proportional to the resistance.

**Solution 3:**

Kilowatt-hour is the commercial unit of electric energy.

**Solution 4:**

$$V = 220 \text{ V}, P = 100\text{W}$$

$$R=?$$

We know that

$$P = V^2/R$$

Thus

$$R = V^2/P = 220^2/100 = 484\text{ohm}$$

**Solution 5:**

- (i) joule  
(ii) watt

**Solution 6:**

- (i) Electric power  
(ii) Electric energy

**Solution 7:**

Electric power has the unit of watt.

**Solution 8:**

kWh is the short form of kilowatt-hour, which is the commercial unit of electrical energy.

**Solution 9:**

$$P = V^2/R$$

R is fixed.

V becomes double.

$$\text{Now, } P = (2V)^2/R = 4 V^2/R$$

So, the electric power becomes four times its previous value.

**Solution 10:**

Other information is that it will consume energy at the rate of 36 J/s.

**Solution 11:**

$$P = 920W, V = 230V, I = ?$$

We know that

$$P = V \times I,$$

$$920 = 230 \times I$$

$$I = 920/230 = 4\text{amp}$$

**Solution 12:**

When an electrical appliance consumes electrical energy at the rate of 1 joule per second, its power is said to be 1 watt.

$$1 \text{ watt} = 1 \text{ volt} \times 1 \text{ ampere.}$$

**Solution 13:**

One watt hour is the amount of electrical energy consumed when an electrical appliance of 1 watt power is used for 1 hour.

$$1 \text{ watt hour} = 3600 \text{ joules}$$

**Solution 14:**

$$I = 5\text{amp}, R = 100\text{ohms}, t = 2\text{h}$$

We know that

$$\text{Electric energy consumed} = P \times t = I^2 R t$$

$$= 25 \times 100 \times 2$$

$$= 5000 \text{ Wh}$$

$$= 5 \text{ kWh}$$

$$\text{We know that } 1\text{kwh} = 3.6 \times 10^6 \text{ J}$$

$$\text{Therefore, } 5\text{kwh} = 5 \times 3.6 \times 10^6 \text{ J} = 18 \times 10^6 \text{ J.}$$



**Solution 15:**

$V=220\text{V}$ ,  $I=0.5\text{amp}$ ,  $P=?$

We know that

$$P=VI=220 \times 0.5$$

$$P=110 \text{ watt.}$$

**Solution 16:**

(i)  $R = 300 \text{ ohm}$ ,  $I = 1 \text{ A}$ ,  $t = 1\text{h}$

$$P = I^2R = 1^2 \times 300 = 300 \text{ W}$$

$$E = P \times t = 300 \times 1 = 300 \text{ Wh}$$

(ii)  $R = 100 \text{ ohm}$ ,  $I = 2 \text{ A}$ ,  $t = 1\text{h}$

$$P = I^2R = 2^2 \times 100 = 400 \text{ W}$$

$$E = P \times t = 400 \times 1 = 400 \text{ Wh}$$

Hence, in case (ii), the electrical energy consumed per hour is more.

**Solution 17:**

$V=220\text{V}$ ,  $P=2.2\text{kW}=2200\text{W}$ ,  $t=3\text{h}$

We know that

$$\text{Electrical energy consumed} = P \times t = 2.2 \times 3 = 6.6 \text{ kWh}$$

We have,  $P = V \times I$

$$2200 = 220 \times I$$

$$I=10\text{amp}$$

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### Solution 18:

Case 1:

Power,  $P_1 = 60W$

Number,  $n_1 = 2$

Time for use,  $t_1 = 4h$  everyday

Electrical energy consumed everyday,  $E_1 = n_1 \times P_1 \times t_1$   
 $= 2 \times 60 \times 4 = 480 Wh = 0.48kWh$

Electrical energy consumed in 30 days  $= 30 \times 0.48 = 14.4kWh$

Case 2:

Power,  $P_2 = 100W$

Number,  $n_2 = 3$

Time for use,  $t_2 = 5h$  everyday

Electrical energy consumed everyday,  $E_2 = n_2 \times P_2 \times t_2$   
 $= 3 \times 100 \times 5 = 1500 = 1.5kWh$

Electrical energy consumed in 30 days  $= 30 \times 1.5 = 45kWh$

Total electrical energy consumed in 30 days  $= 14.4kWh + 45kWh = 59.4kWh$

### Solution 19:

$V=250V, I=0.4amp$

(i) We know that

Power  $= VI = 250 \times 0.4 = 100watt$

(ii) We have

$P = I^2R$

$100 = 0.4^2 \times R$

$R = 625ohm$

**Solution 20:**

Given

$$P=4\text{kw}, V=220\text{v}$$

(a)  $I=?$

$$\text{Power}=VI=250I$$

$$4000=250I$$

$$I=16\text{amp}$$

(b)  $R=?$

$$P=I^2R$$

$$P=16^2 \times R$$

$$R=4000/16^2$$

$$R=15.25\text{ohm}$$

(c) Energy consumed in two hour= $P \times t$

$$=4 \times 2$$

$$=8\text{kw-hr}$$

(d) If  $1\text{kwh}=\text{Rs } 4.6$

$$\text{total cost}=8 \times 4.6=\text{Rs } 36.8$$

**Solution 21:**

$I=5\text{amp}$ ,  $V=220\text{volt}$ ,  $t=2\text{h}$

$P=?$ ,  $E=?$

$$P=VI$$

$$=220 \times 5$$

$$=1100\text{watt}$$

$$=1.1\text{kW}$$

Energy consumed,  $E=PXt$

$$=1.1 \times 2$$

$$=2.2\text{kWh}$$

**Solution 22:**

Case 1: TV set

$$P=250\text{W}=0.25\text{kWh}$$

$t=1\text{h}$

$$\text{Energy consumed} = PXt = 0.25 \times 1 = 0.25\text{kWh}$$

Case 2: Toaster

$$P=1200\text{W}=1.2\text{kW}, t=10\text{min}=\frac{10}{60}=\frac{1}{6}\text{h}$$

$$\text{Energy consumed} = PXt = 1.2 \times \left(\frac{1}{6}\right) = 0.2\text{kWh}$$

Thus, TV uses more energy.

**Solution 23:**

(i)  $V=6\text{volt}$ ,  $R_1=1\Omega$ ,  $R_2=2\Omega$

Equivalent resistance  $=R_1 + R_2 = 1 + 2 = 3\Omega$

Total current,  $I = \frac{V}{R} = \frac{6}{3} = 2\text{A}$

Current through  $R_2 = I_2 = I = 2\text{A}$

Voltage across  $R_2 = V_2 = I_2 R_2 = 2 \times 2 = 4\Omega$

Power used in  $R_2 = I_2 V_2 = 2 \times 4 = 8\text{W}$

(ii)  $V=4\text{volt}$ ,  $R_1=12\Omega$ ,  $R_2=2\Omega$

Voltage across  $R_2 = V_2 = V = 4\text{V}$

Current across  $R_2 = I_2 = \frac{V_2}{R_2} = \frac{4}{2} = 2\text{A}$

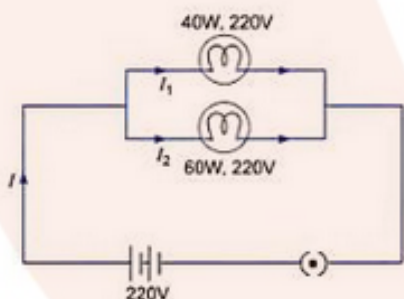
Power used in  $R_2 = I_2 V_2 = 2 \times 4 = 8\text{W}$

**Solution 24:**

Given 2 lamps:  $P_1=40\text{W}$ ,  $P_2=60\text{W}$

$V=220\text{V}$

(a)



(b) Voltage across both the bulbs is same and is equal to 220V.

Current through 40W lamp  $= I_1 = P_1/V = 40/220 \text{ A}$

Current through 60W lamp  $= I_2 = P_2/V = 60/220 \text{ A}$

Total current drawn from the electric supply  $= 40/220 + 60/220 = 0.45 \text{ A}$

(a) Energy consumed by 40 W lamp in 1 hr,  $E_1 = P_1 \times t = 40 \times 1 = 40\text{Wh}$

$1\text{Wh} = 3.6 \text{ kJ}$

$E_1 = 40 \times 3.6 = 144 \text{ kJ}$

Energy consumed by 60W lamp in 1 hr,  $E_2 = P_2 \times t = 60 \times 1 = 60\text{Wh} = 216 \text{ kJ}$

Total energy consumed  $= 144 + 216 = 360 \text{ kJ}$

**Solution 25:**

Given  $V=230V$ ,  $I=10\text{amp}$

(a)  $P=VI$

$P=230 \times 10$

$P=2300\text{watt} = 2300 \text{ J/s}$

(b) Energy consumed in minute =  $P \times t = 2300 \text{ J/s} \times 60\text{s} = 138000 \text{ J}$

**Solution 26:**

For heater:

$P=2\text{kW}$ ,  $t=4\text{h}$

$E=P \times t = 2 \times 4 = 8\text{kWh}$

For TV:

$P=200\text{W}=0.2\text{kW}$ ,  $t=4\text{h}$

$E=P \times t = 0.2 \times 4 = 0.8\text{kWh}$

Lamps:

$P=100\text{W}=0.1\text{kW}$ ,  $t=4\text{h}$ ,  $n=3$

$E=n \times P \times t = 3 \times 0.1 \times 4 = 1.2\text{kWh}$

Total energy consumed =  $8+0.8+1.2 = 10\text{kWh}$

Cost of  $1\text{kWh} = \text{Rs. } 5.50$

Cost of  $10\text{kWh} = \text{Rs. } 5.50 \times 10 = \text{Rs. } 55$

**Solution 27:**

$I=13\text{amp}$ ,  $V=230V$

Power= $VI$

$=230 \times 13$

$=2990\text{W}$

$P=2.99\text{kW}$

**Solution 28:**

Given :-  $V=230V$ ,  $I=0.4\text{amp}$

Rate at which electric energy is transferred = Power

Power =  $V \times I$

$= 230 \times 0.4$

$= 92 \text{ W} = 92 \text{ J/s}$

### Solution 29:

(a) The rate at which electrical work is done or the rate at which electrical energy is consumed, is known as electric power.

It is given by

$$P=VI=\text{watt}$$

(b) Given:  $V=3V$ ,  $I=0.5\text{amp}$

(i)  $R=?$

We know that  $V=IR$   
 $3=0.5R$

$$R=6\text{ohms}$$

(ii) Power of lamp= $VI$

$$=3 \times 0.5$$

$$=1.5\text{watt}$$

(c) One kilowatt hour is the amount of electrical energy consumed when an electrical appliance having a power rating of 1 kilowatt is used for 1 hour.

$$1\text{kWh}=3.6 \times 10^6 \text{J}$$

(d) Given  $P=500\text{W}=0.5\text{kW}$ ,  $t=20\text{hr}$

We know that

$$\text{Energy consumed} = P \times t = 0.5 \times 20$$

$$=10\text{kwh}$$

$$\text{Total cost} = 10 \times \text{cost per unit}$$

$$\text{Cost per unit} = \text{Rs. } 3.9 \text{ per unit}$$

$$\text{Therefore, total cost} = 10 \times 3.9 = \text{Rs } 39$$

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### Solution 41:

By reducing the length of element the resistance will decrease.

Power is inversely proportional to resistance. So, this will result in more consumption of energy.

### Solution 42:

(a) Lamp; because least current is flowing through it.

(b) Large current drawn by the kettle; Earth connection needed.

(c) We know that

$$P=VI$$

$$V=240\text{V}, I=8.5\text{A}$$

$$P=240 \times 8.5=2040\text{W}=2.04\text{kW}$$

(d) When connected to 240 V supply,  $P=2040\text{W}$

$$R = V^2/P = 240^2/2040$$

$$R=28.23\text{ohm}$$

Now, when  $V=120\text{V}$ ,  $R=28.23\text{ohm}$

$$I=V/R=120/28.23=4.25\text{A}$$

#### Solution 43:

(a) 42919

(b) 42935

(c)  $42935-42919=16$  units

(d) 24 hours

(e) Cost of 1 unit = Rs. 5

Cost of 16 units =  $16 \times 5 = \text{Rs. } 80$

#### Solution 44:

$P=10\text{W}$ ,  $V=220\text{V}$ ,  $I=5\text{A}$

We know that

$$P=VI$$

$$=220 \times 5$$

$$P=1100\text{W}$$

Power of one bulb= $10\text{W}$

Total no. of bulbs that can be connected= $1100/10=110$

#### Solution 45:

Let resistance of each lamp= $R$  ohms.

Case 1: Parallel connection

$$\text{Resultant resistance} = \frac{1}{\frac{1}{R} + \frac{1}{R}} = \frac{R}{2}$$

$$\text{Electric power consumed } P_1 = \frac{V^2}{R} = \frac{220^2}{R/2} = \frac{96800}{R}$$

Case 2: Series connection

Resultant resistance= $R+R=2R$

$$\text{Electric power consumed } P_2 = \frac{V^2}{2R} = \frac{24200}{R}$$

$$\therefore \frac{P_1}{P_2} = \frac{96800/R}{24200/R} = \frac{4}{1}$$



**Page No:66**

**Solution 1:**

Heat produced is directly proportional to the square of current.

**Solution 2:**

Heat produced is directly proportional to the square of current.  
If current  $I$  is doubled, heat  $H$  will be four times.

**Solution 3:**

Two effects of produced by electric current are:

- (a) Heating effect
- (b) Magnetic effect

**Solution 4:**

Heating effect

**Solution 5:**

Heating effect

**Solution 6:**

Electric heater and electric fuse.

**Solution 7:**

Argon and nitrogen.

**Solution 8:**

Filament type electric bulbs are not power efficient because most of the electric power consumed by the filament of a bulb appears as heat and only a small amount of electric power is converted into light.

**Solution 9:**

The connecting cord of the heater made of copper does not glow because negligible heat is produced in it by passing current (because of its extremely low resistance); but the heating element made of nichrome glows because it becomes red-hot due to the large amount of heat produced on passing current (because of its high resistance).

### Solution 10:

(a) Heat produced,  $H = I^2Rt$

(b) Given:  $R = 20\text{ohm}$ ,  $I = 5\text{amp}$ ,  $t = 30\text{s}$

We know that  $H = I^2Rt$

$$H = 5^2 \times 20 \times 30$$

$$H = 15000 \text{ J}$$

### Solution 11:

Heat produced by an electric current depends on the following factors:

- (i) Heat produced is directly proportional to square of current.
- (ii) Heat produced is directly proportional to resistance.
- (iii) Heat produced is directly proportional to the time for which current flows.

### Solution 12:

(a) Joule's law of heating states that heat produced in joules when a current of  $I$  amperes flows in a wire of resistance  $R$  ohms for time  $t$  seconds is given by  $H = I^2Rt$ .

Thus the heat produced in a wire is directly proportional to:

- (i) Square of current
- (ii) Resistance of wire
- (iii) Time for which current is passed

(b) Given:  $R_1 = 40\text{ohms}$ ,  $R_2 = 60\text{ohms}$  (in series),  $V = 220\text{V}$ ,  $t = 30\text{sec}$

We know that

Total resistance,  $R = 40 + 60 = 100\text{ohms}$

By Ohm's law,

$$V = IR$$

$$I = V/R$$

$$I = 220/100 = 2.2\text{amp}$$

Putting the values of  $I$ ,  $R$  and  $t$  in eq.  $H = I^2RT$

$$H = 2.2^2 \times 100 \times 30$$

$$H = 14520 \text{ J}$$

### Solution 13:

If air is filled in an electric bulb, then the extremely hot tungsten filament would burn up quickly in the oxygen of air. So, the electric bulb is filled with a chemically

unreactive gas like argon or nitrogen. These gases do not react with the hot tungsten filament and hence prolong the life of the filament of the bulb.

**Solution 14:**

Tungsten is used for making the filaments of electric bulbs because it has a very high melting point. Due to its very high melting point, the tungsten filament can be kept white hot without melting away. Also, tungsten has high flexibility and low rate of evaporation at high temperature.

**Solution 15:**

The connecting wires of the heater get only slightly warm because they have extremely low resistance due to which negligible heat is produced in them by passing current.

**Solution 16:**

Given:  $I=4\text{amp}$ ,  $t=10\text{min}=10\times 60=600\text{sec}$ ,  $H=2.88\times 10^4\text{J}$

(a) We have

$$H=I^2RT$$

$$28800=4^2\times R\times 600$$

$$R=3\text{ohms}$$

We know that

$$P=I^2\times R$$

$$=4^2\times 3$$

$$P=48\text{W}$$

(b)  $V=?$

We know that

$$V=IR$$

$$V=4\times 3$$

$$V=12\text{V}$$

**Solution 17:**

Given:  $R=200\text{ohms}$ ,  $I=2.5\text{amp}$ ,  $t=1\text{sec}$

We know that

$$H=I^2RT$$

$$H=2.5^2 \times 200 \times 1$$

$$H = 1250 \text{ J/s}$$

**Solution 18:**

Given:  $R=8\text{ohms}$ ,  $I=15\text{amp}$ ,  $t=1\text{sec}$

We know that

$$H=I^2RT$$

$$H=15^2 \times 8 \times 1$$

$$H=1800 \text{ J/s}$$

**Solution 19:**

Given:  $R=25\text{ohms}$ ,  $V=12\text{V}$ ,  $H=?$ ,  $t=60\text{sec}$

$$V=IR$$

$$12=25I$$

$$I=0.48\text{amp}$$

We have

$$H=I^2RT$$

$$H=0.48^2 \times 25 \times 60$$

$$H=345.6 \text{ J}$$

**Solution 20:**

Given:  $H=100\text{J}$ ,  $t=1\text{sec}$ ,  $R=4\text{ohms}$ ,

We know that

$$H=I^2RT$$

$$100=I^2 \times 4 \times 1$$

$$100/4=I^2$$

$$I=5\text{amp}$$

$$V=IR$$

$$V=5 \times 4$$

$$=20\text{V}$$

### Solution 21:

(a) When an electric charge  $Q$  moves against a p.d.  $V$ , the amount of work done is given by

$$W = Q \times V \text{ -----(1)}$$

We know, current,  $I = \frac{Q}{t}$

$$Q = I \times t \text{ -----(2)}$$

By Ohm's law,  $\frac{V}{I} = R$

$$V = I \times R \text{ -----(3)}$$

Putting eqs. (2) and (3) in eq. (1),

$$W = I \times t \times I \times R$$

$$W = I^2 R t$$

Assuming that all the electrical work done is converted into heat energy, we get

Heat produced,  $H = I^2 R t$  joules

This relation is known as Joule's law of heating.

(b) Given:  $P = 12W$ ,  $V = 12V$ ,  $t = 60\text{sec}$

$$P = VI$$

$$I = P/V = 12/12 = 1A$$

$$V = IR$$

$$R = V/I = 12/1 = 12\text{ohm}$$

$$H = I^2 R t$$

$$H = 1^2 \times 12 \times 60$$

$$H = 720J$$

(c) The heat produced by the heater will become one-fourth because heat produced is directly proportional to the square of the current.

(d) When an electric current is passed through a high resistance wire, the wire becomes very hot and produces heat. This effect is known as heating effect of current. This effect is used in room heaters and electric ovens.

(e) Tungsten is used for making the filaments of an electric bulb.

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### Solution 31:

(a) S; because it has high resistivity of  $11/10000000$  ohm-m (it is actually nichrome).

(b) Q; because it has very low resistivity of  $1.7/100000000$  ohm-m (it is actually copper).

(c) R; because it has very very high resistivity of  $1.0 \times 10000000000000000$  ohm-m (it is actually rubber).

### Solution 32:

(a) The filament wire becomes white hot where as other wires in the circuit do not

get heated much.

(b) High resistance of filament wire accounts for this difference.

**Solution 33:**

In series, because total resistance in series connection is more than that in parallel connection.

**Solution 34:**

Given:  $V=220V$ ,  $P_{\min}=360W$ ,  $P_{\max}=840W$

For minimum heating case:

We know that

$$P_{\min}=VI$$

$$360=220 \times I$$

$$I=1.63 \text{ amp}$$

$$R=V/I$$

$$R=220/1.63$$

$$R=134.96 \text{ ohms}$$

For maximum heating case:

We know that

$$P_{\max}=VI$$

$$840=220 \times I$$

$$I=3.81 \text{ amp}$$

$$R=V/I$$

$$R=220/3.81$$

$$R=57.74 \text{ ohms}$$

**Solution 35:**

Electric iron, electric oven, water heater, room heater